

Notes Section 2.8 Solving Inequalities in One Variable- Polynomial Inequalities

Examples:

- 1) Determine the x-values that cause the polynomial function to be
a) zero **b)** positive $f(x) > 0$ **c)** negative $f(x) < 0$

$$f(x) = (2x^2 + 5)(x - 8)^2(x + 1)^3$$

Using a SIGN CHART

Process

- 1) Find the key numbers and draw a number line arranging the key numbers from least to greatest
- 2) Determine the test intervals
- 3) Choose an x value in each interval to test
- 4) Interpret the results and answer all questions

- 2) Solve the polynomial inequality using a sign chart. Factor first!

$$x^2 - 5x - 6 < 0$$

- 3) Solve the polynomial inequality using a sign chart. Factor first!

$$(x + 1)(x^2 - 3x + 2) \geq 0$$

4) Solve the polynomial inequality using a sign chart.

$$3x^3 - 4x^2 - 12x > -16$$

5) Solve the polynomial inequality using a sign chart.

$$3x^2 - 11x > 4$$

6) Solve the polynomial inequality using a sign chart.

$$(x + 2)^2 \leq 25$$

Notes Section 2.8 Solving Inequalities in One Variable- Rational Inequalities

1) Solve the inequality using a sign chart

$$\frac{x-1}{x^2-4} < 0$$

* key numbers for rational inequalities:

Zeros (numerator =0)

Undefined Values (denominator=0)

2) Solve the inequality using a sign chart

$$\frac{x^2+x-12}{x^2-4x+4} > 0$$